

Polyploidy

Discovery

DeVries 1900



<https://www.hugodevriestonds.nl>



Oenothera lamarckiana,
Lutz 1907



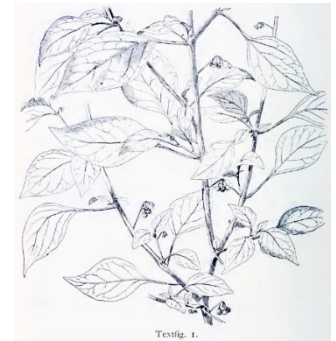
Oenothera gigas.



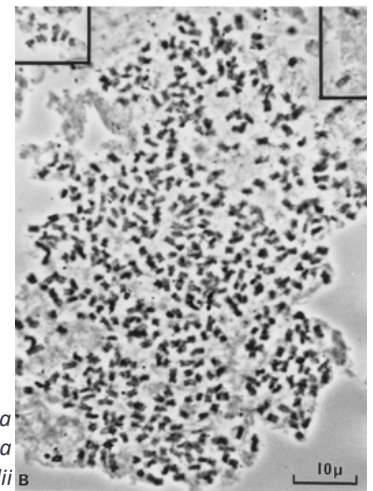
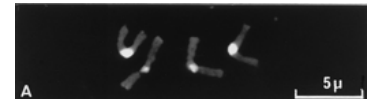
Anne Mae Lutz
1871-1938

Lutz 1907; Gates 1909

Winker 1916

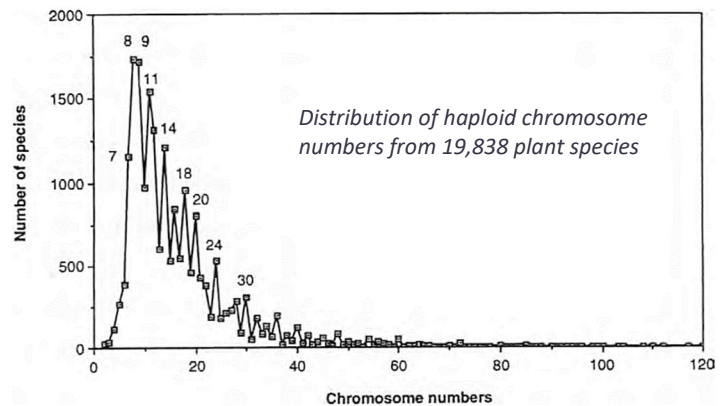


Chromosome number range



A) Chromosomes of *Zingiber bierbersteriana*; B) *Voanicola gerardii*

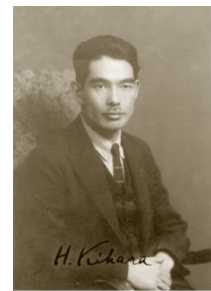
Masterson, 1994



Polyploidy types (Neopolyploidy)

Blakeslee et al, 1923

Kihara and Ono, 1926



*Hitoshi Kihara
(1893-1986)*

Incidence

Barker et al, 2016

Clausen et al, 1945

“Fairly safe examples of true autopolyploids can be recognized only in essentially monotypic genera and sections, and in those groups that have been thoroughly investigated cytogenetically”

Autopolyploidy

Tetrasomic inheritance vs disomic (diploid) inheritance

5 possible allelic compositions at a locus

- AAAA - quadriplex
- AAAa - triplex
- AAaa - duplex
- Aaaa - simplex
- aaaa - nulliplex



2x & 4x alfalfa

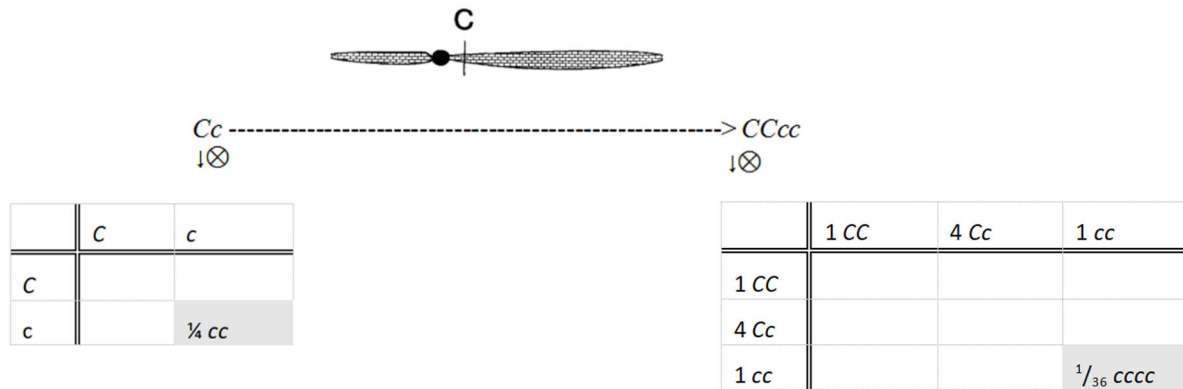
>2 alleles are possible at a locus

- monoallelic $A_1A_1A_1A_1$ (homozygous)
- unbalanced diallelic $A_1A_1A_1A_2$ (heterozygous)
- balanced diallelic $A_1A_1A_2A_2$ "
- triallelic $A_1A_1A_2A_3$ "
- tetraallelic $A_1A_2A_3A_4$ "

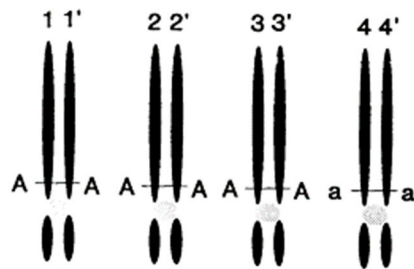
Gametes can be heterozygous

- A_1A_1 homoallelic
- A_1A_2 heteroallelic

Genetic ratios are complex



Random chromosome segregation



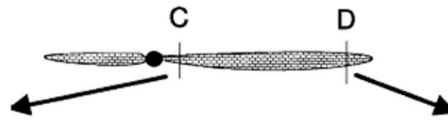
1-2	1'-2				
1-2'	1'-2'				
1-3	1'-3	2-3	2'-3		
1-3'	1'-3'	2-3'	2'-3'		
1-4	1'-4	2-4	2'-4	3-4	3'-4
1-4'	1'-4'	2-4'	2'-4'	3-4'	3'-4'

Gametic products	Genotype	
	$AAAa$	$AAaa$
AA	12	4
Aa	12	16
aa	0	4
Total:	24	24

Gene-centromere

ratios

Random chromosome segregation

 $CCcc$ $\downarrow \otimes$ $1/36 cccc$ 

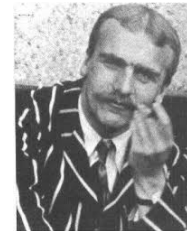
distance affects segregation

- a) Maximal equational segregation, or
b) Random chromatid segregation

 $DDdd$ $\downarrow \otimes$ **ME:** 1/20.25;**RC:** 1/21.8 $dddd$

Random chromosome segregation

Haldane, 1929



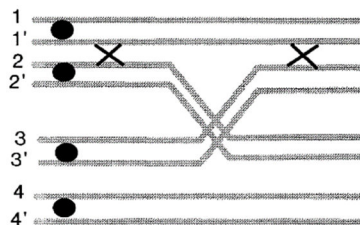
John Burdon
Sanderson Haldane
(1892-1920)

Now can recover in one gamete:

- sister alleles \rightarrow probability = α
- non-sister alleles \rightarrow probability = $1-\alpha$

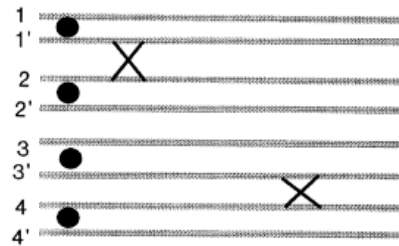
non-sister alleles				probability = 1-α		
1-1'		2-2'		3-3'	4-4'	α
1-2	1'-2					
1-2'	1'-2'					
1-3	1'-3	2-3	2'-3			
1-3'	1'-3'	2-3'	2'-3'			1-α
1-4	1'-4	2-4	2'-4	3-4	3'-4	
1-4'	1'-4'	2-4'	2'-4'	3-4'	3'-4'	

Gametic products	Genotype			
	$BBbb$		$BBbb$	
	$\alpha = 0$	$\alpha = 1/7$	$\alpha = 0$	$\alpha = 1/7$
BB	12	15	4	6
Bb	12	12	16	16
bb	0	1	4	6
Total:	24	28	24	28



Maximum equational segregation

Mather, 1935



Sir Kenneth Mather
(1911-1990)

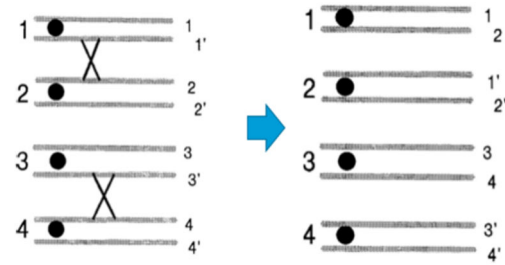
1-1'		2-2'		3-3'		4-4'	α
1-2	1'-2						
1-2'	1'-2'						
1-3	1'-3	2-3	2'-3				
1-3'	1'-3'	2-3'	2'-3'				1- α
1-4	1'-4	2-4	2'-4	3-4	3'-4		
1-4'	1'-4'	2-4'	2'-4'	3-4'	3'-4'		

	Genotype					
Gametic products	<i>BBbb</i>			<i>BBbb</i>		
	$\alpha = 0$	$\alpha = 1/7$	$\alpha = 1/6$	$\alpha = 0$	$\alpha = 1/7$	$\alpha = 1/6$
<i>BB</i>	12 (1)	15	13	4 (1)	6 (3)	5.33 (2)
<i>Bb</i>	12 (1)	12	10	16 (4)	16 (8)	13.33 (5)
<i>bb</i>	0	1	1	4 (1)	6 (3)	5.33 (2)
Total:	24	28	24	24	28	24

Summary

	Genotype							
Gametic products	BBbb				BBbb			
	$\alpha = 0$	$\alpha = \frac{1}{7}$	$\alpha = \frac{1}{6}$	Formulae	$\alpha = 0$	$\alpha = \frac{1}{7}$	$\alpha = \frac{1}{6}$	Formulae
<i>BB</i>	12 (1)	15	13	$\frac{1}{2} + \frac{1}{4} \alpha$	4 (1)	6 (3)	5.33 (2)	$\frac{1}{6} + \frac{1}{3} \alpha$
<i>Bb</i>	12 (1)	12	10	$\frac{1}{2} - \frac{2}{3} \alpha$	16 (4)	16 (8)	13.33 (5)	$\frac{4}{6} - \frac{2}{3} \alpha$
<i>bb</i>	0	1	1	$+ \frac{1}{4} \alpha$	4 (1)	6 (3)	5.33 (2)	$\frac{1}{6} + \frac{1}{3} \alpha$
Total:	24	28	24		24	28	24	

Maximum equational

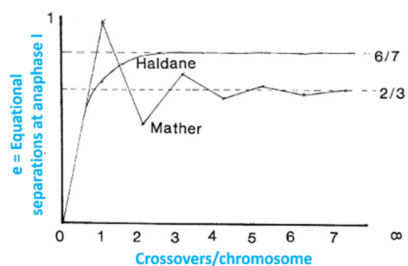


Haldane

Crossovers per chromosome	Total arrangements	Anaphase I separations		
		Reductional	Equational	Proportion equational
0	4	4	0	0.0
0.5	96	48	48	0.5
1.0	2,304	672	1,632	0.708
1.5	55,296	11,328	43,968	0.795
2.0	1,327,104	223,872	1,103,232	0.8313
2.5	31,850,496	4,892,928	26,957,568	0.84638
3.0	764,411,904	112,630,272	651,781,632	0.85266
3.5	18,345,885,696	2,655,126,528	15,690,759,168	0.85527
∞	∞	$1/7$	$6/7$	$6/7 = 0.85714$
n	4×24^{2n}	$(4 \times 24^{2n}) \times [1/7(1+6(5/12)^{2n})]$	$(4 \times 24^{2n}) \times [6/7(1-(5/12)^{2n})]$	$6/7[1-(5/12)^{2n}]$

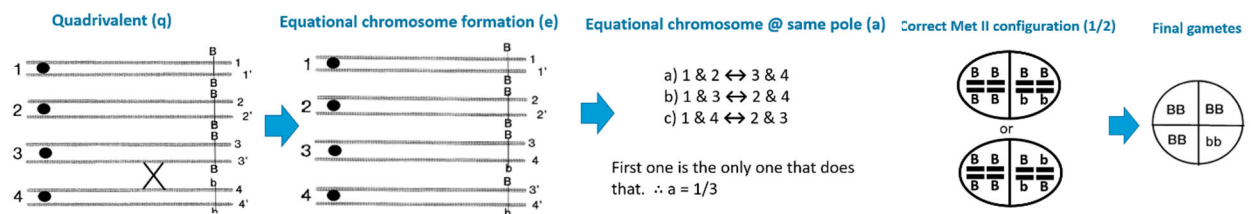
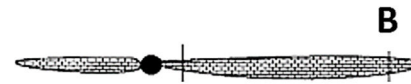
Mather

Crossovers per chromosome	Anaphase I separations		
	Reductional	Equational	Proportion equational
0	1	0	0
1	0	1	1
2	$1/2$	$1/2$	0.5
3	$1/4$	$3/4$	0.75
4	$3/8$	$5/8$	0.625
5	$5/16$	$11/16$	0.688
6	$11/32$	$21/32$	0.656
7	$21/64$	$43/64$	0.672
8	$43/128$	$85/128$	0.6641
∞	$1/3$	$2/3$	0.6667
n	$1 - 2/3[1 - (-1/2)^{n/2}]$		$2/3[1 - (-1/2)^{n/2}]$



Double reduction

Blakeslee, Belling, & Farnham, 1923



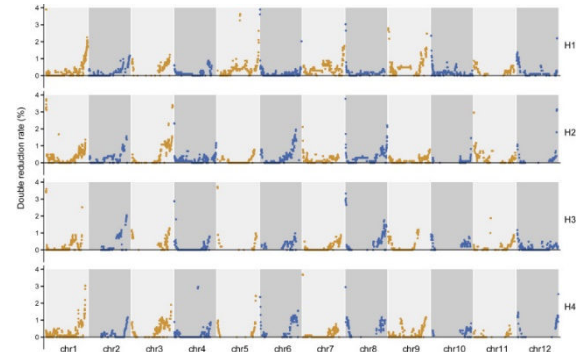
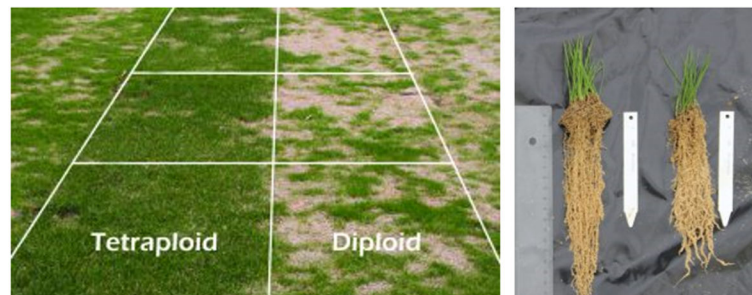
Burnham, 1962

Summary

α	=	q	x	e	x	a	x	$\frac{1}{2}$		
Mather	=	1		1		$\frac{1}{3}$		$\frac{1}{2}$	=	$\frac{1}{6}$
Haldane	=	1		$\frac{6}{7}$		$\frac{1}{3}$		$\frac{1}{2}$	=	$\frac{1}{7}$

Haynes & Douches, 1993

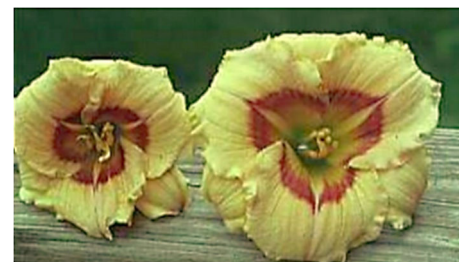
Locus	Total progeny	Double reduction products	α	\pm SE	Gene-centromere distance (cM)
<i>Mdh-1</i>	283	7	0.099*	0.037	33.5
<i>6-Pgdh-3</i>	214	7	0.131*	0.049	30.1
<i>Pgi-1</i>	122	3	0.098ns	0.057	26.0
<i>Idh-1</i>	314	2	0.025ns	0.018	18.4
<i>Mdh-2</i>	144	1	0.063ns	0.044	n/a

Bao et al, 2022**Why autotetraploids?**Auto4x and 2x perennial ryegrass (*Lolium perenne*)

<http://www.greenkeepingeu.com/greenkeeping-feature-tetraploid-perennial-ryegrass-technology-explained/>

Which diploids make good autotetraploids?

Levan, 1942; Åkerberg et al., 1961



2x and auto4x daylilies.

<https://plantlet.org/autoployploidy-multiplying-same-genome/>

Inbreeding at the tetrasomic level

F = the coefficient of inbreeding, and is defined as the probability that two alleles are identical by descent. For example, for $A_1A_1A_2A_2$, obtained by doubling A_1A_2 , both copies of A_1 are descended from the same allele, making them identical by descent.

-
-
-
- When there is random mating in a 2x population: $F = \frac{3\alpha}{2+\alpha}$
- Selfing a 2x: $F = \frac{1}{2}(1 + F')$
- Selfing an auto4x: $F = \frac{1}{6}[1 + 2\alpha(5 - 2\alpha)F']$
 - Where $FT(L)$ = current level of inbreeding and
 - F' = the previous level of inbreeding

Thus 1 generation of selfing gives 50% inbreeding in a 2x plant ($F = 1/2$), but only 17% inbreeding ($F=1/6$) for an autotetraploid (if $\alpha = 0$)

Somatic chromosome doubling

Note that somatic chromosome doubling leads to an inbreeding of $F = 1/3$:

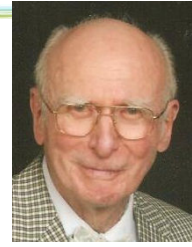
$$A_1A_2 \rightarrow A_1A_1A_2A_2 \rightarrow \frac{1+0+0+0+1+0}{6 \text{ combinations}} = 2/6 = 1/3$$

In the above examples, there are 6 possible pairs of alleles. Out of these 6 possible pairs, two (indicated in red) are pairs of alleles that consist of alleles that are identical by descent. The resulting $F = 1/3$ is what one would obtain with a little more than 2 generations of selfing.

Analytic breeding

Chase 1962

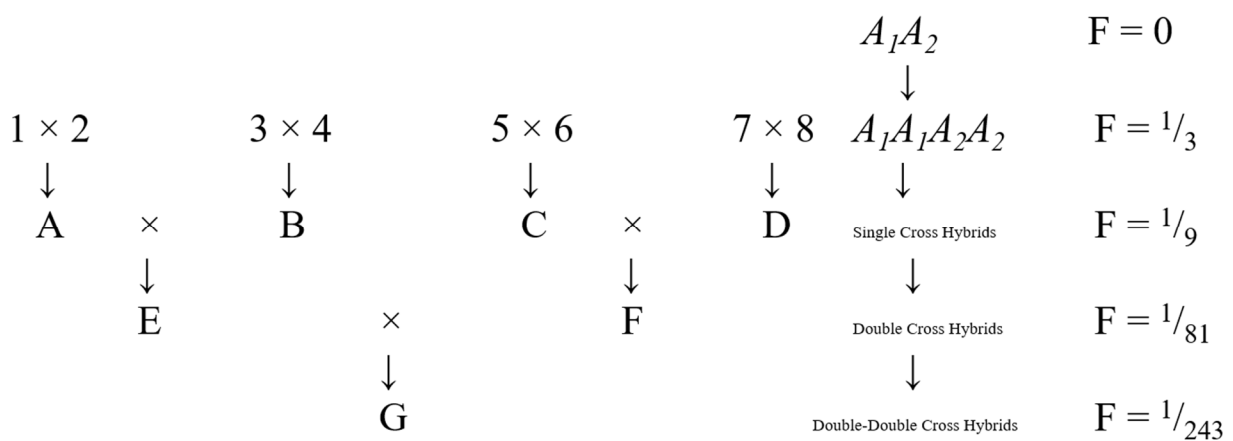
Designed a breeding scheme to maximize heterozygosity, called it **analytic breeding**



Sherrett
Spaulding Chase
1918 - 2021

Chase 1963

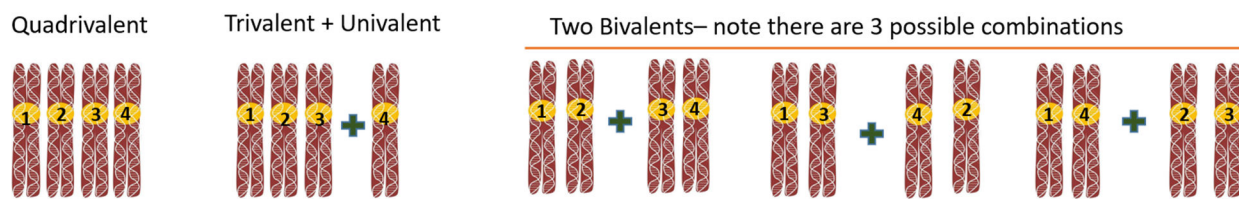
Designed analytic breeding for potato, extracting 2x potatoes from 4x, selecting at 2x level, and converting to 4x via analytic breeding



- Maximizes heterozygosity. It is not the heterozygosity that is important. Instead, it maximizes the odds of having at least 1 dominant allele at each locus → capitalizes on additive genetic variance

Fertility in autotetraploids

Darlington 1932



3 possible pairing configurations

Randolph, 1941



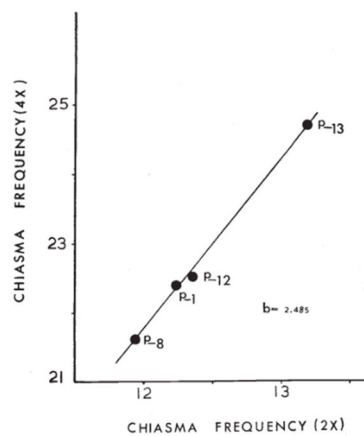
Lowell Fitz Randolph
1894 - 1980

Gilles & Randolph, 1951

Plant no.	Frequency of cells with ten to five quadrivalents						Total no. of cells examined
	10	9	8	7	6	5	
48-326 — 15	8	22	7	2	2	—	41
— 21	7	24	9	1	—	—	41
— 22	3	15	16	3	3	—	40
— 1	3	18	13	2	5	—	41
— 27	3	18	17	2	1	—	41
— 13	6	18	11	4	2	—	41
— 24	6	18	11	4	2	—	41
— 26	4	16	13	5	3	—	41
— 52	3	19	12	4	3	—	41
— 53	5	16	14	4	2	—	41
— 75	4	15	15	4	3	—	41
Total	52	199	138	35	26	—	450
per cent	11.5	44.2	30.7	7.8	5.8	—	

Plant no.	Frequency of cells with ten to five quadrivalents						Total no. of cells examined
	10	9	8	7	6	5	
48-327 — 5	—	6	16	11	6	2	41
— 14	—	5	18	12	5	1	41
— 22	—	5	14	15	6	1	41
— 37	—	6	12	13	10	2	43
— 39	—	5	13	16	6	2	42
— 50	—	4	18	13	6	1	42
— 17	—	4	21	11	5	—	41
— 24	—	5	19	13	3	1	41
— 26	—	3	15	15	7	1	41
— 44	—	6	18	13	4	—	41
— 72	—	7	17	12	5	—	41
per cent	—	12.0	40.0	31.6	13.8	2.4	
Total	—	56	181	144	63	11	455

Hazarika and Rees, 1967



Stebbins, 1971



L. Stebbins
1906 - 2000



Umesh Chandra
Lavania

Lavania, 1991

	2x		4x C ₂			
	% rod II	% ⊙ II	II	III	IV	I
<i>Lolium perenne</i>	82↑	18	46↑	--	53↓	--
<i>Amaranthus hypochondriacus</i> (C ₁)	71	29	43	1	55	--
<i>A. caudatus</i>	66	34	33	1	64	1
<i>Hyoscyamus muticus</i>	65	30	28	4	67	1
<i>A. edulis</i>	60	40	30	--	68	2
<i>H. niger</i>	58	41	10	2	76	2
<i>H. albus</i>	59	38	7	6	84	3

Species	Generation	% IV	% Seed Set
<i>Hyoscyamus muticus</i>	C ₀	45 [↓]	65
	C ₁	--	--
	C ₂	30	78 [↑]
<i>H. niger</i>	C ₀	27 [↓]	75
	C ₁	24	80
	C ₂	22	92 [↑]
<i>H. albus</i>	C ₀	24 [↓]	43
	C ₁	17	54
	C ₂	12	83 [↑]

Rivero-Guerra, 2008

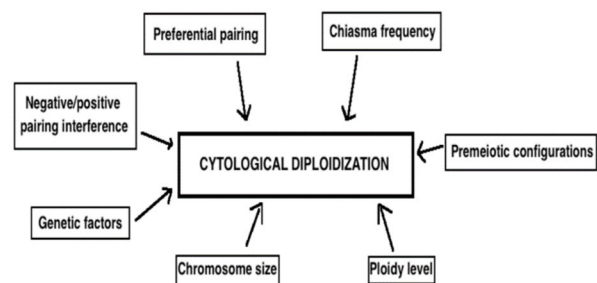
Auto4x individuals of *Santolina pectinata*: “Chromosome number doubling produces statistically significant decreases in the lengths of the short arm, long arm, and whole chromosome”



Santolina pectinata

Cytological diploidization

Dorone, 2013



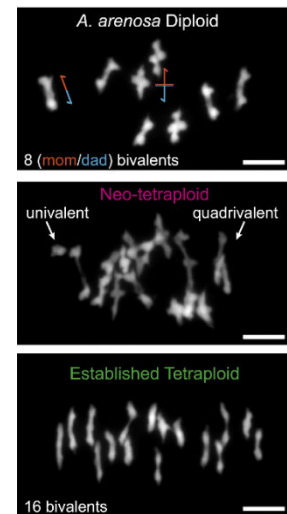
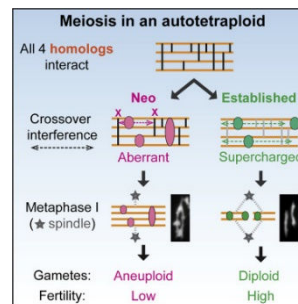
Arabidopsis arenosa as a model

<https://extremepplants.org/species/arabidopsis-arenosa/>

Hollister et al., 2012; Yant et al., 2013 (Bomblies lab)

Evolution of CO interference

Morgan et al, 2021



Prevalence

Rice et al., 2019

